

# Introduction to Machine Learning

## NPFL 054

<http://ufal.mff.cuni.cz/course/npfl054>

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# Support Vector Machines in R

- `library(e1071)`, but there are also other libraries (**kernlab**, **shogun** ...)
- training: function `svm()`
- prediction: function `predict()`
- `svm()` can work in both classification and regression mode
- if target attribute (response variable) is categorical (factor) the engine switches to classification

```
model = svm(formula, data=, kernel=, cost=, cross=, ...)
```

- `?svm`
- `kernel` defines the kernel used in training and prediction. The options are: linear, polynomial, radial basis and sigmoid, default = radial
- `cost` – cost of constraint violation (default: 1)
- `cross` – optional, with the value `k` the `k`-fold cross-validation is performed

# SVM kernels in e1071

Kernel name	Formula	Learning parameters and their default values
linear	$\mathbf{x}_i \cdot \mathbf{x}_j$	
polynomial	$(\gamma \mathbf{x}_i \cdot \mathbf{x}_j + c)^d$	$\gamma$ , gamma=1/(data dimension) $c$ , coef0=0 $d$ , degree=3
radial	$\exp(-\gamma(\ \mathbf{x}_i - \mathbf{x}_j\ ^2))$	$\gamma$ , gamma=1
sigmoid	$\tanh(\gamma \mathbf{x}_i \cdot \mathbf{x}_j + c)$	$\gamma$ , gamma=1/(data dimension) $c$ , coef0=0

# SVM – non-linear kernel functions

- polynomial kernel
  - smaller degree can generalize better
  - higher degree can fit (only) training data better
- radial basis
  - very robust
  - you should try and use it when polynomial kernel is weak to fit your data

# SVM Parameter tuning with `tune.svm`

- **SVM is a more complicated method in comparison with the previous and usually requires parameter tuning!**
- parameter tuning can take a very long time on big data, use a reasonably smaller part is often recommended

```
> model.tune= tune.svm(class ~ ., data=train.small,
                      kernel = "radial",
                      gamma = c(0.001, 0.005, 0.01, 0.015, 0.02),
                      cost = c(0.5, 1, 5, 10))

> model.tune
Parameter tuning of 'svm':

- sampling method: 10-fold cross validation

- best parameters:
  gamma cost
  0.01    1

- best performance: 0.739
```

## K-fold cross-validation

- parameter cross

```
> model.best <- svm(class ~ ., train.small,
                    kernel = "radial",
                    gamma = 0.01,
                    cost = 10,
                    cross = 10)

> model.best$accuracies
[1] 26.81 30.90 36.36 28.63 38.18 28.18 37.72 35.90 34.09 30.90
> model.best$tot.accuracy
[1] 32.77
> prediction.best <- predict(model.best, test, type="class")
> mean(prediction.best==test$class)
[1] 33.36
```

# Class weighting

- `class.weights` parameter  
In case of asymmetric class sizes you may want to avoid possibly overproportional influence of bigger classes. Weights may be specified in a vector with named components, like  

```
m <- svm(x, y, class.weights = c(A = 0.3, B = 0.7))
```



# General hints on practical use of `svm()`

- Note that SVMs may be very sensible to the proper choice of parameters, so always check a range of parameter combinations, at least on a reasonable subset of your data.
- Be careful with large datasets as training times may increase rather fast.
- C-classification with the RBF kernel (default) can often be a good choice because of its good general performance and the few number of parameters (only two: `cost` and `gamma`).
- When you use C-classification with the RBF kernel: try small and large values for `cost` first, then decide which are better for the data by cross-validation, and finally try several `gamma` values for the better `cost`.

# Evaluation of multi-class classification task

target class	True Positive	False Positive	False Negative	class weight	Precision	Recall	F1 score
$C_1$	$TP_1$	$FP_1$	$FN_1$	$w_1$	$P_1$	$R_1$	$F_1$
$C_2$	$TP_2$	$FP_2$	$FN_2$	$w_2$	$P_2$	$R_2$	$F_2$
...	...	...	...	...	...	...	...
$C_k$	$TP_k$	$FP_k$	$FN_k$	$w_k$	$P_k$	$R_k$	$F_k$

- class weight  $w_i$  is the relative frequency of  $C_i$  class in the data
- macro-averaged F1 score =  $\sum_{i=1}^k F_i/k$
- weighted-averaged F1 score =  $\sum_{i=1}^k w_i F_i/k$

# Evaluation of multi-class classification task

- In general, if you are working with an imbalanced dataset where all classes are equally important, using the macro average would be a good choice.
- If you have an imbalanced dataset but want to assign greater contribution to classes with more examples in the dataset, then the weighted average is preferred.